

DISCUSSION OF  
“THE DEMAND FOR PROGRAMMABLE PAYMENTS”

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PRESENTED IN CBDC WEBINAR

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## INTRODUCTION

- ★ Interesting paper, which I really enjoyed reading!
- ★ Studies optimality of “programmable payments” (like escrow accounts) where:
  - ★ Buyers send funds into a payment system, then
  - ★ Payment system releases funds to sellers at a later date.
  - ★ So, payment system effectively introduce costly, limited commitment.
- ★ Comment 1: I like that the paper is precise about:
  - ★ How “programmability” improves commitment, and
  - ★ How that commitment entails costs.
- ★ Comment 2: I would like to better understand how this relates to standard dynamic contracting models with limited commitment and/or collateral.

# ENVIRONMENT

- ★ Continuous time economy.
- ★ Two risk neutral agents each with discount rate  $\rho > 0$ :
  - ★ Seller can provide service at flow cost  $c \geq 0$ , and
  - ★ Buyer values service at flow utility  $b(t) \geq 0$ , where in many examples:

$$b(t) = \begin{cases} b, & \text{if } t < T_M \\ 0, & \text{otherwise} \end{cases}$$

- ★ No asymmetric information; no legal system so two-sided non-commitment.
- ★ Agents contract to maximize buyer value (i.e. buyers make take-it-or-leave-it offers).
- ★ Buyers and sellers (implicitly) have outside option of 0 if they leave contract.

## CONTRACTING PROBLEM: TWO-SIDED NO-COMMITMENT

★ Buyer chooses:

- ★ Payment process  $D = \{D_t\}_{t \geq 0}$  to seller and stopping time  $S$ ,
- ★ Which implicitly give continuation value,  $W_t$ , to seller for staying in the contract,

to solve:

$$U_0 = \max_{D, S} \mathbb{E} \left[ \int_0^S e^{-\rho s} \left( \underbrace{b_t dt}_{\text{benefit}} - \underbrace{dD_t}_{\text{payment}} \right) \right] \quad s.t. \quad dW_t = \rho W_t + \underbrace{c dt}_{\text{effort cost}} - \underbrace{dD_t}_{\text{payment}}$$

subject to:

- ★ Buyer participation constraint:  $U_t \geq 0$ , and
  - ★ Seller participation constraint:  $W_t \geq 0$
- ★ Two sided no-commitment and/or reputation much studied. [e.g. Thomas and Worrall (1988), Kocherlakota (1996b), Ligon, Thomas, and Worrall (2002), Abreu Pearce Stacchetti (1990)]

## AUTHORS INTRODUCE PAYMENT TECHNOLOGY

- ★ Step 1: Buyer can use technology to submit payment  $i$  by sending funds  $D_i$  at time  $T_i$ .
- ★ Step 2: Seller observes payment.
- ★ Step 3: Payment technology releases funds to seller at some date  $S_i \geq T_i$  conditional on whether seller has provided the service. Charges fee  $K$ .
- ★ *Interpretation*: an escrow account where payment is held until seller provides service.
- ★ *Terminology*: Direct payment if  $S_i = T_i$ . Programmable payment if  $S_t > T_i$ .

Payment technology introduces costly commitment into the economy.

## CONTRACTING PROBLEM: ONE PAYMENT

★ Buyer chooses:

- ★  $T_1$  = time at which they submit payment,
- ★  $S_1$  = time at which payment system releases funds to seller (and contract ends),
- ★  $D_1$  = size of payment to seller.

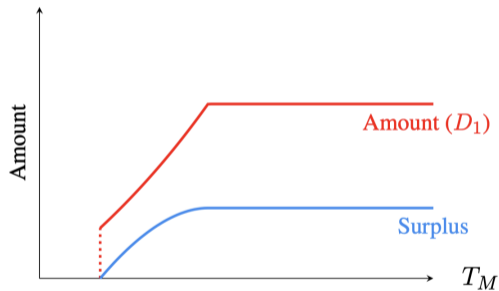
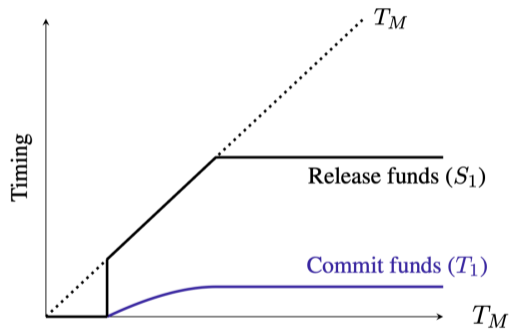
to solve:

$$U_0 = \max_{T_1, S_1, D_1} \mathbb{E} \left[ \underbrace{\int_0^{S_1} e^{-\rho s} b_t dt}_{\text{benefit}} - \underbrace{(D_1 + K)e^{-\rho T_1}}_{\text{payment}} \right] \quad s.t.$$

- ★ Buyer PC: must want to submit payment at  $T_1$ :  $\int_{T_1}^{S_1} e^{-\rho s} b_t dt - (D_1 + K)e^{-\rho T_1} \geq 0$ , and
- ★ Seller PC: must want to provide service  $S_1$ :  $D_1 e^{-\rho S_1} - c \int_0^{S_1} e^{-\rho t} dt \geq 0$

★ In paper, authors extend to multiple payments.

# OPTIMAL CONTRACT CHOICE



## MY COMMENTS: CONTRACTING SETUP

1. Payment technology puts a lot of restrictions on contracting problem:
  - ★ In particular, imposes discrete lump sum payments with fixed cost per payment.
  - ★ I agree this gives a clean problem when there is one payment.
  - ★ However, it gets quite complicated when they generalize to multiple payments ... without necessarily delivering a lot of additional economic insight.
2. Authors could use a more general payment technology for multiple payment case:
  - ★ E.g. Allow buyer to commit to a sequence of payments at time 0 but require buyer to maintain balance in payment technology that could deliver value promised to seller.
  - ★ E.g. Allow the buyer to commit to a sequence of payments at time 0 but impose cost as a function of the continuation promise to the seller.



## MY COMMENTS: GENERAL SETUP

1. Perfect information is a very strong assumption:
  - ★ The payment system needs to be able to see whether seller has provided service.
  - ★ Buyer payments also need to be transparent to the seller.
2. Information needs complicate interpretation as “automated” escrow system:
  - ★ Unless payment system run by retail platform, it doesn't have trade information.
  - ★ This is why escrow accounts are often intermediated by agents who can verify actions.
3. Big question is whether programmable payments/smart contracts can pre-commit future income not just escrow payments

# CONCLUSION

- ★ Interesting paper on optimality of “programmable” payments.
- ★ I would like to see more discussion of how it relates to other contracting problems with limited commitment.

THANK YOU